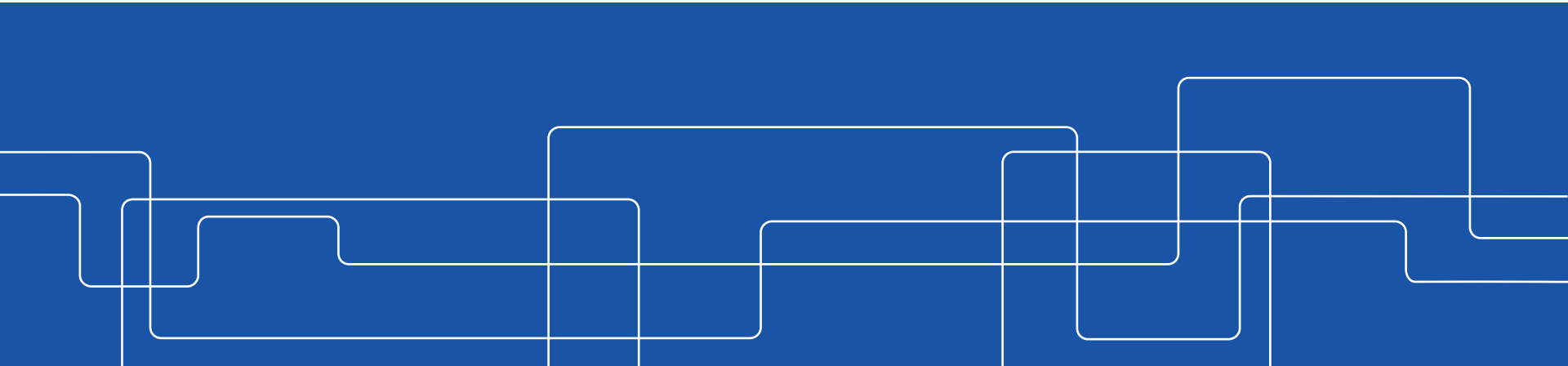


# Flow and heat transfer in a turbocharger radial turbine

Shyang Maw Lim, Anders Dahlkild, Mihai Mihaescu



**VOLVO**



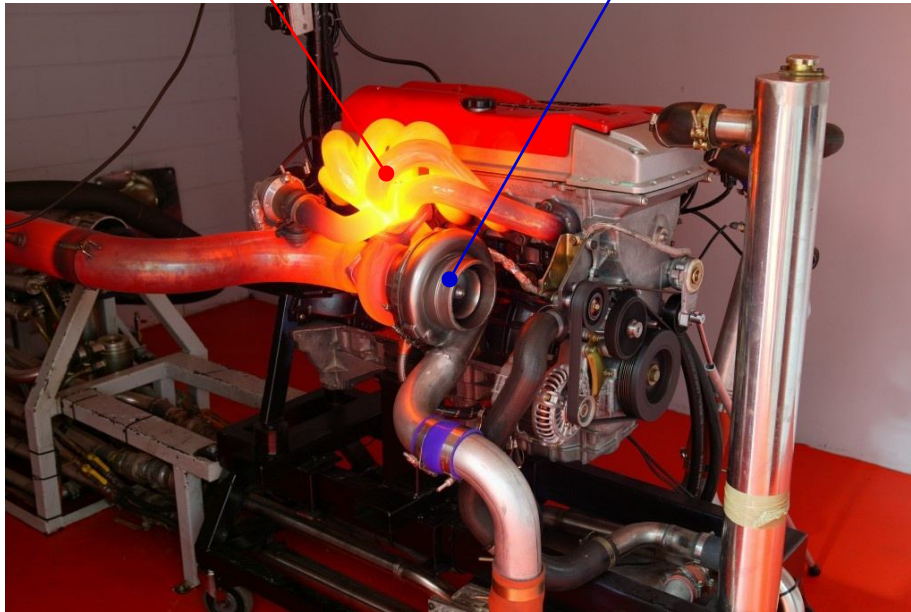
**BorgWarner**

HOT SIDE

( Exhaust manifold + turbine)

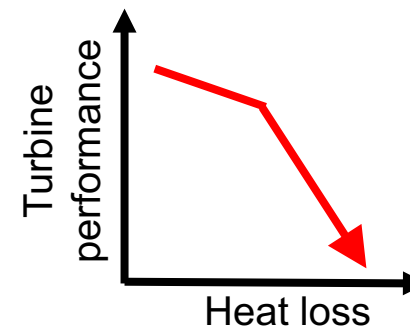
COLD SIDE

(Compressor)

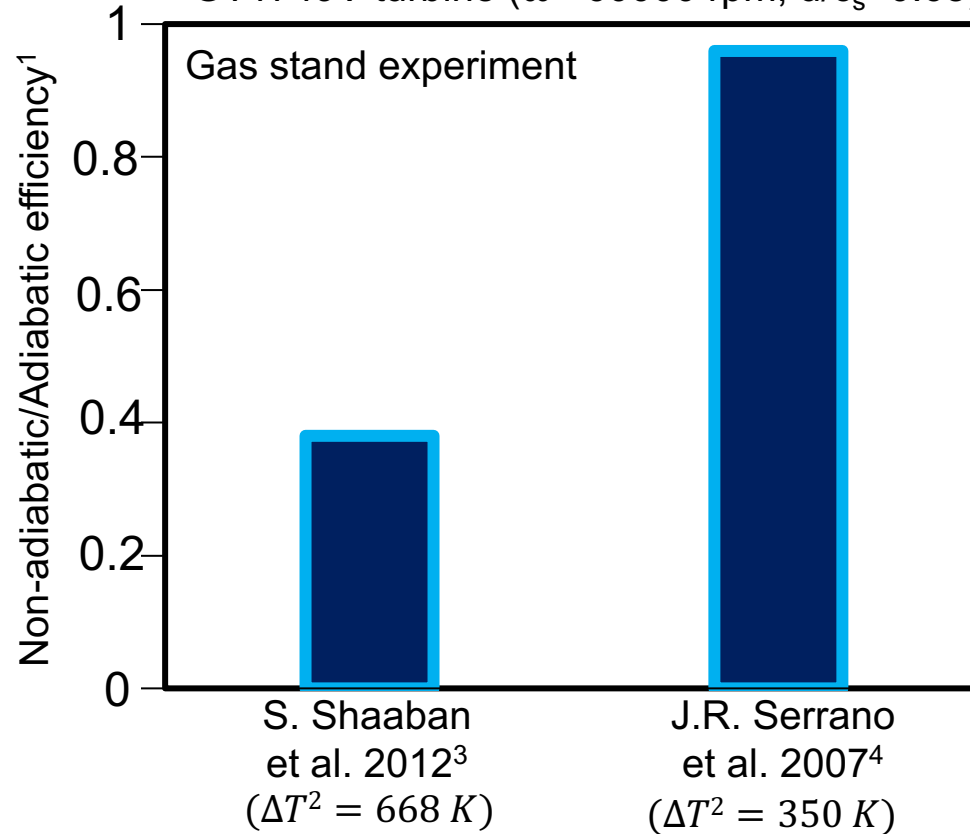


Adapted from Car Throttle (2013)

- ❑ Performance maps correction.
- ❑ 1-D/reduced order modelling.
- ❑ Correlation: turbine performance vs. heat loss.



GT1749V turbine ( $\omega \approx 60000$  rpm,  $u/c_s = 0.68$ )



- First law of thermodynamics based approach.
- Contradicting results.
- Lack of physical understanding.

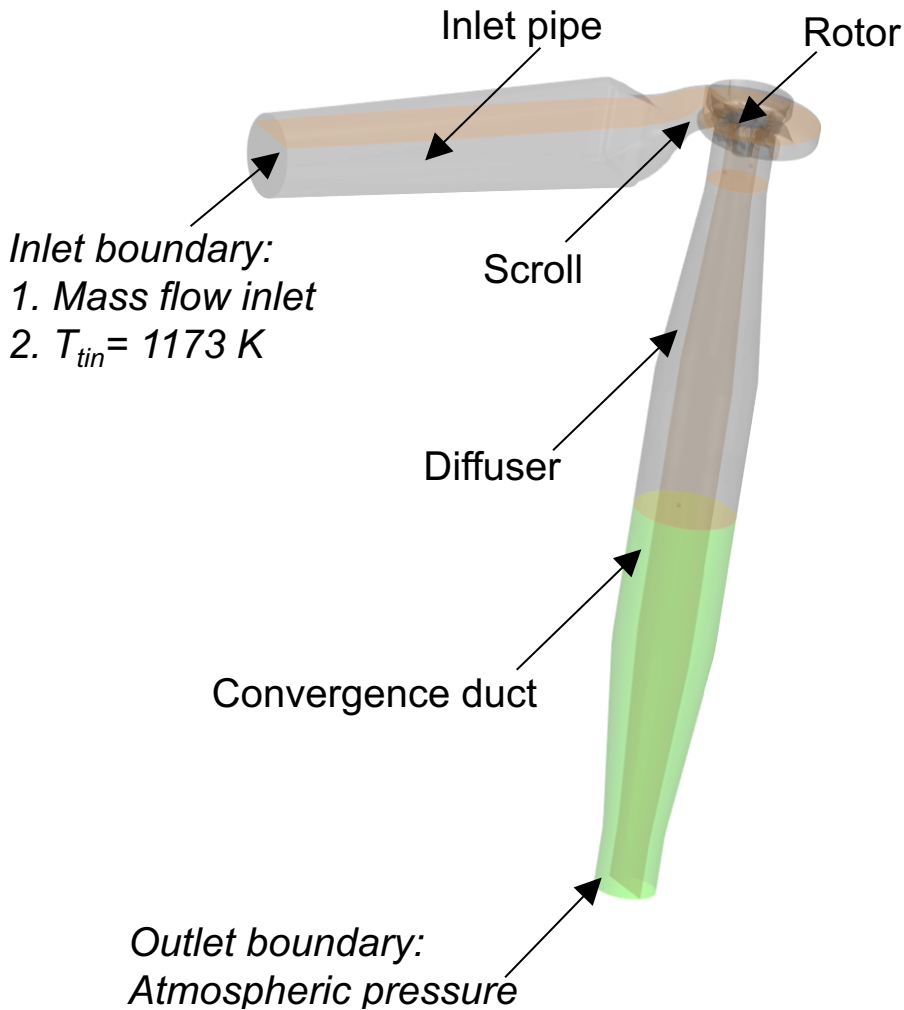
<sup>1</sup> A value of one means no deviation from adiabatic performance.

<sup>2</sup>  $\Delta T$  is the difference in turbine inlet gas temperature between cold and hot test.

<sup>3</sup>Shaaban, S. and Seume, J. (2012). Impact of turbocharger non-adiabatic operation on engine volumetric efficiency and turbo lag. International Journal of Rotating Machinery, 2012.

<sup>4</sup>Serrano, J., Guardiola, C., Dolz, V., Tiseira, A., and Cervello, C. (2007). Experimental study of the turbine inlet gas temperature influence on turbocharger performance. Technical report, SAE Technical Paper.

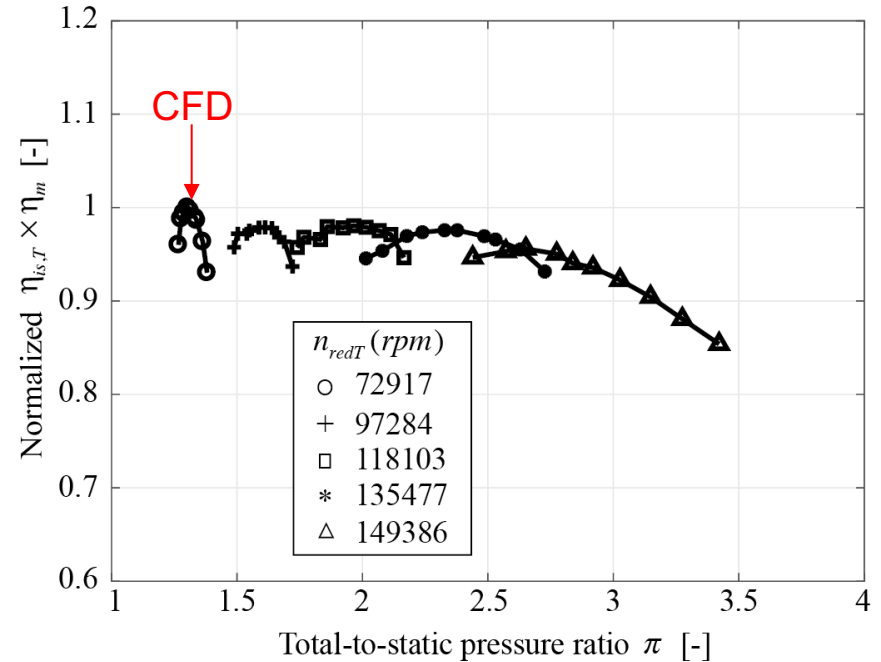
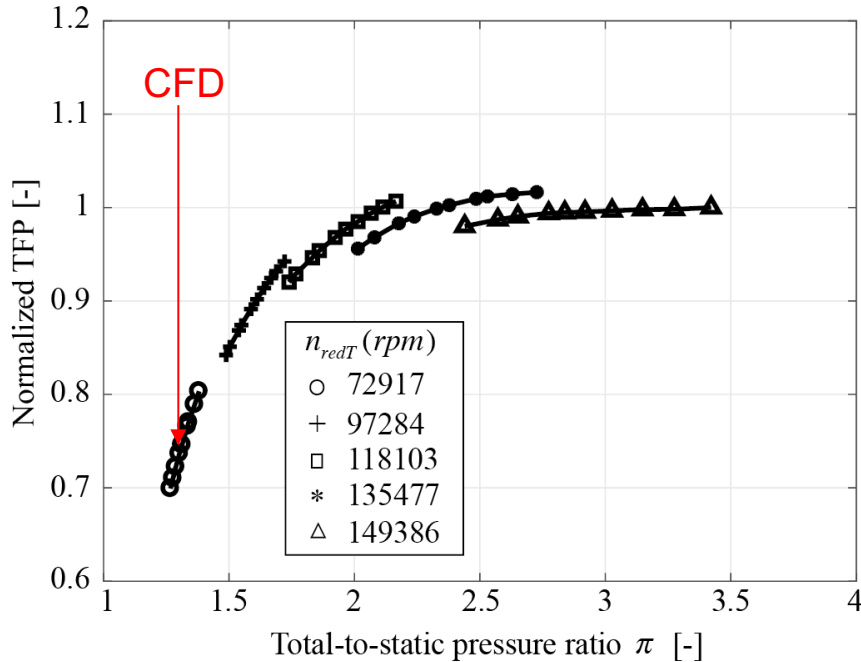
- How heat transfer affects turbine performance (sensitivity)?
  
- What are the heat transfer related losses?
  
- How can we quantify the losses & the effectiveness of resources utilization?
  
- What is the effects of upstream exhaust manifold (e.g. secondary flow) on heat transfer and turbine performance?



- Wall thermal conditions
  - 1) Adiabatic
  - 2) Constant wall temperature [K]  
1002<sup>1</sup>, 830, 487

— Increasing heat loss →
- ~ 9 millions polyhedral cells
- Detached Eddy Simulations (DES)
- Sliding mesh
- ~ 7 hours/case with 320 CPUs

<sup>1</sup>Romagnoli, A. and Martinez-Botas, R. (2012). Heat transfer analysis in a turbocharger turbine: An experimental and computational evaluation. Applied Thermal Engineering, 38:58 – 77.



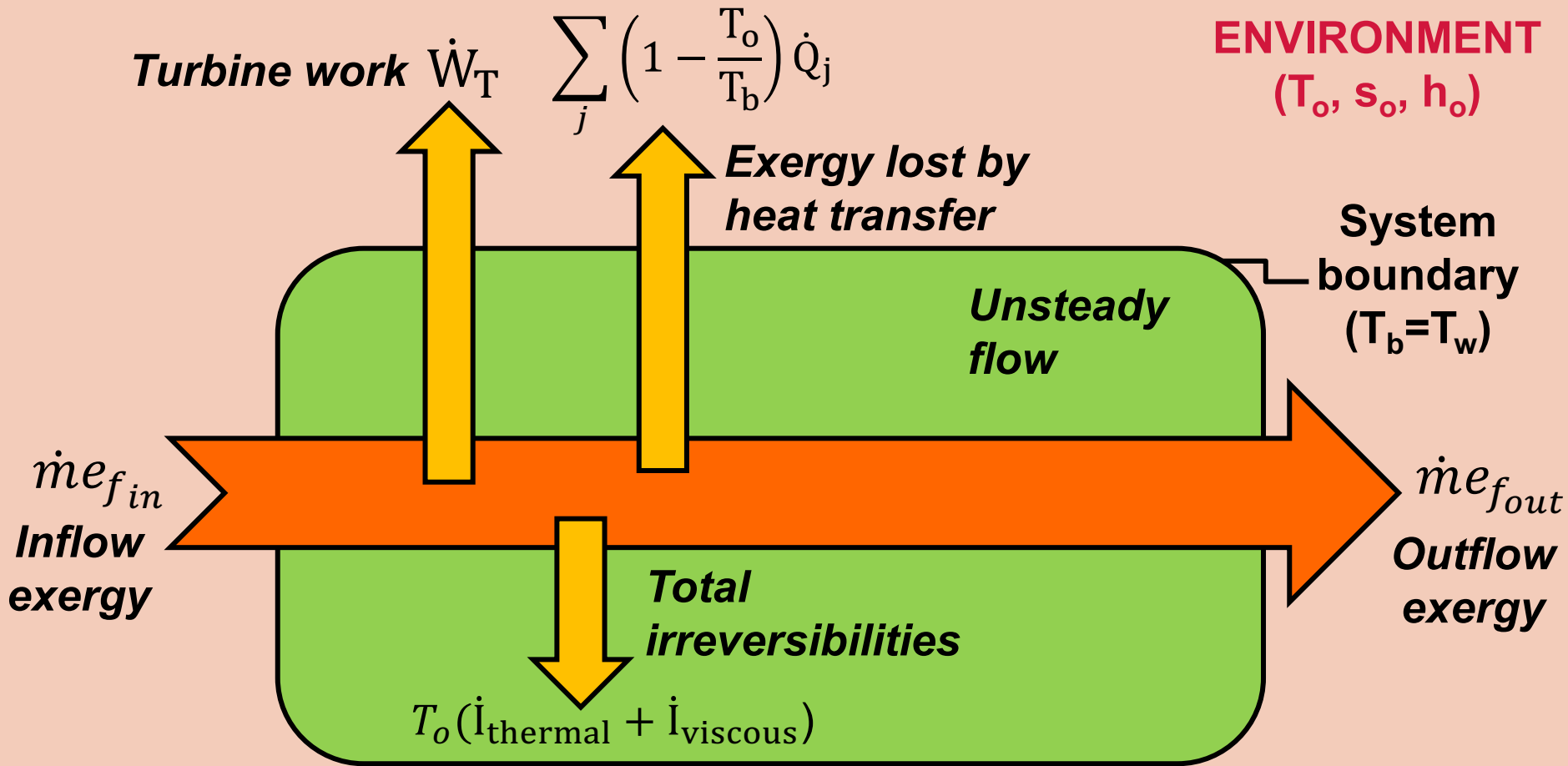
CFD performed on an operating point on

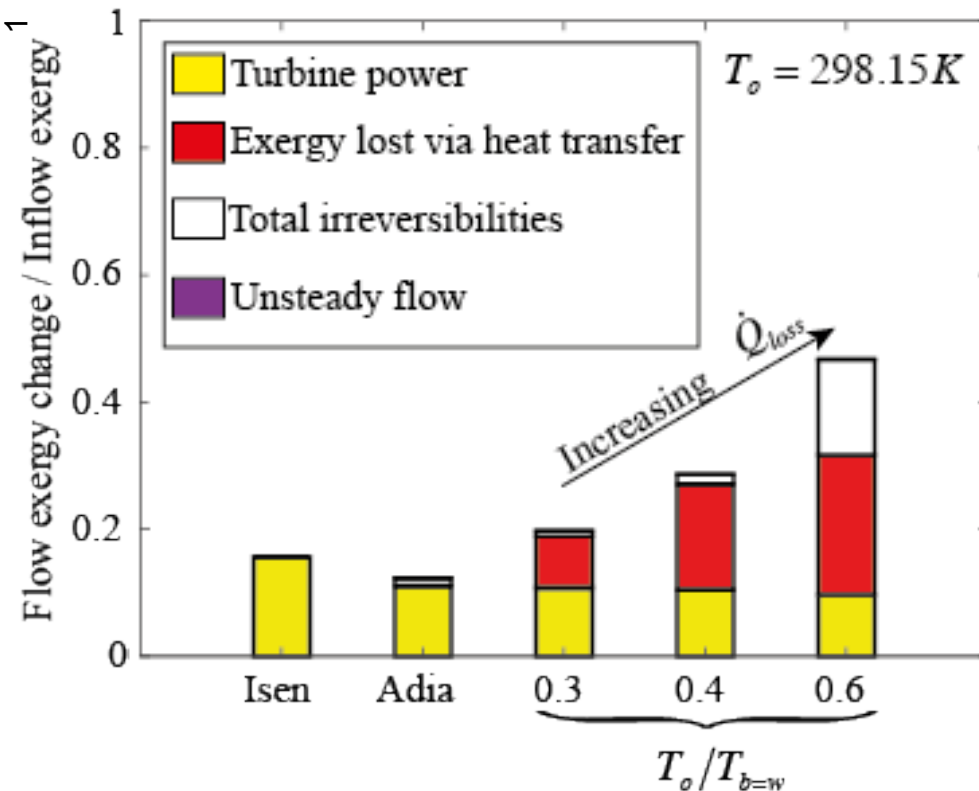
Lowest speed line, and

Maximum efficiency point.

\* Turbine performance maps are normalized by the maximum value, respectively.

# Flow exergy $e_f = [h_t(T_t, P_t) - h_o] - T_o[s(T_t, P_t) - s_o]$





- Turbine power reduction << flow exergy lost via heat transfer and irreversibilities.

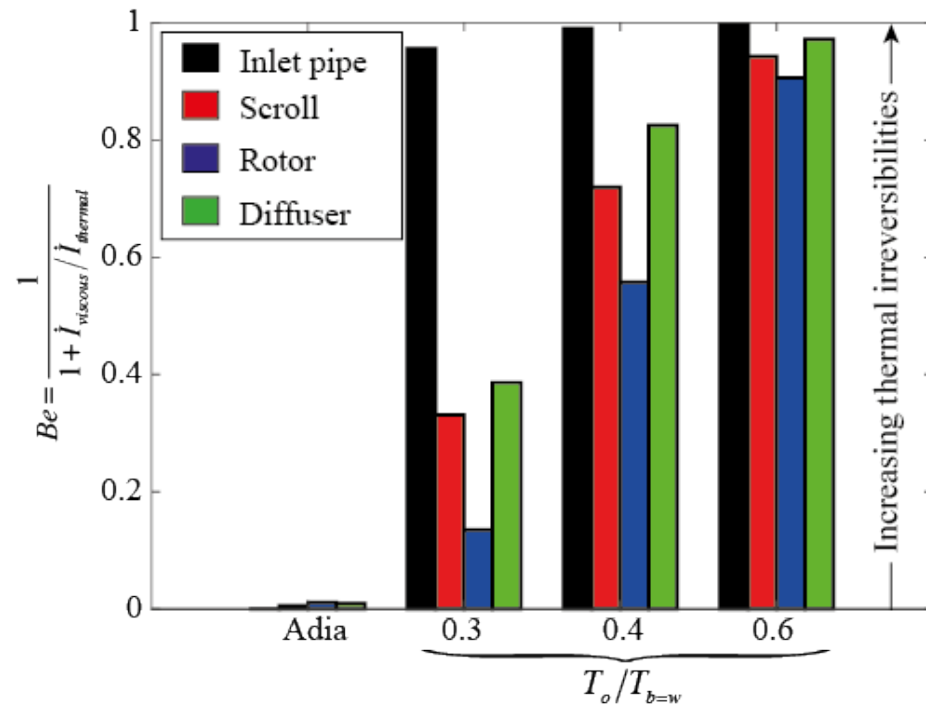
- Most of the flow exergy is discharged without usage.

- Exergetic utilization:  $\eta_{ex} = \frac{\dot{W}_T}{\dot{m}e_{f_{in}}}$

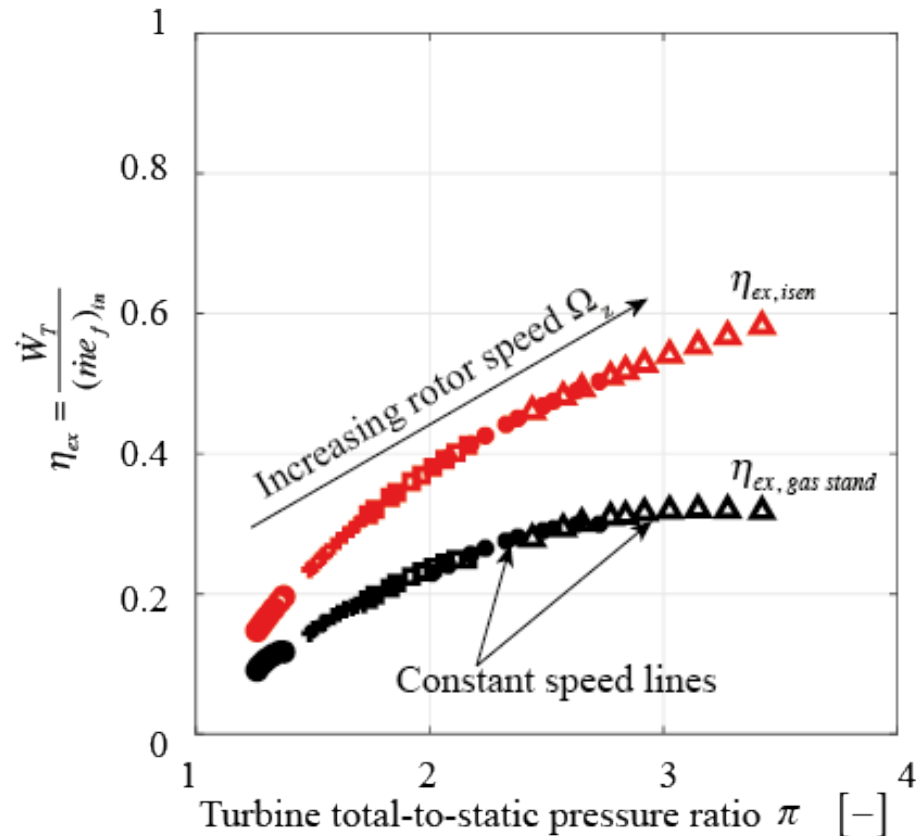
- Limit:  $\eta_{ex,max} \sim 16\%$

<sup>1</sup>A value of one means fully use of available energy, i.e. flow exergy.

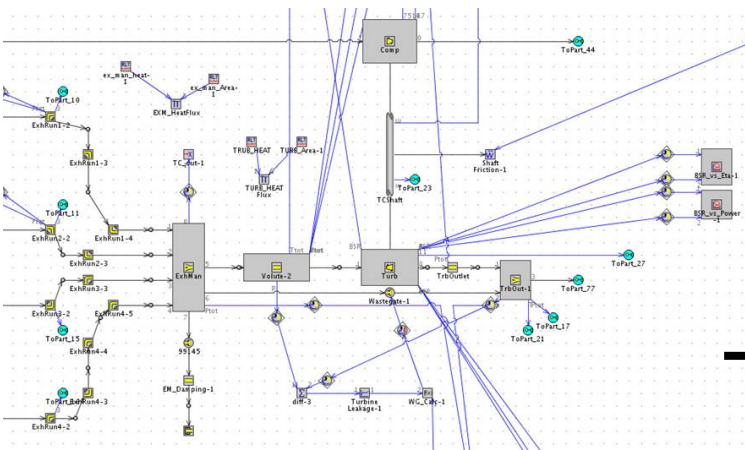




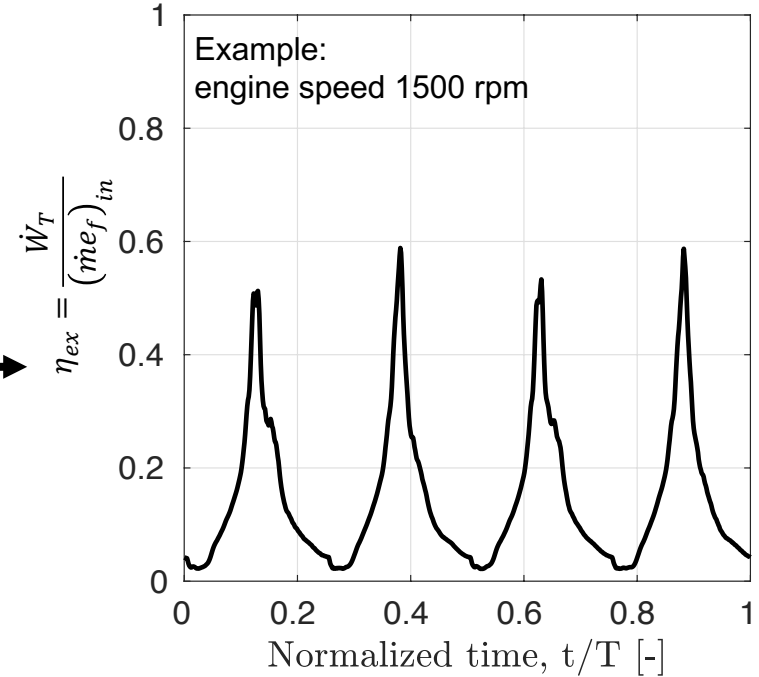
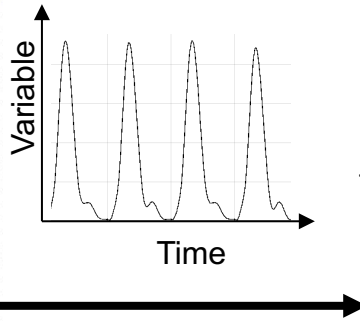
- Quantify relative importance of thermal and viscous irreversibilities.
- Upstream component is more sensitive to thermal loss.
- Insulate upstream component to reduce heat transfer effects.



- ❑ Constructed from turbine performance maps data.
- ❑ Incorporate into 1D engine model.
- ❑ Quick assessment of available energy usage for different
  1. Turbochargers
  2. Configurations (e.g. multi-stage)
  3. Exhaust valve strategies



Courtesy of Volvo cars



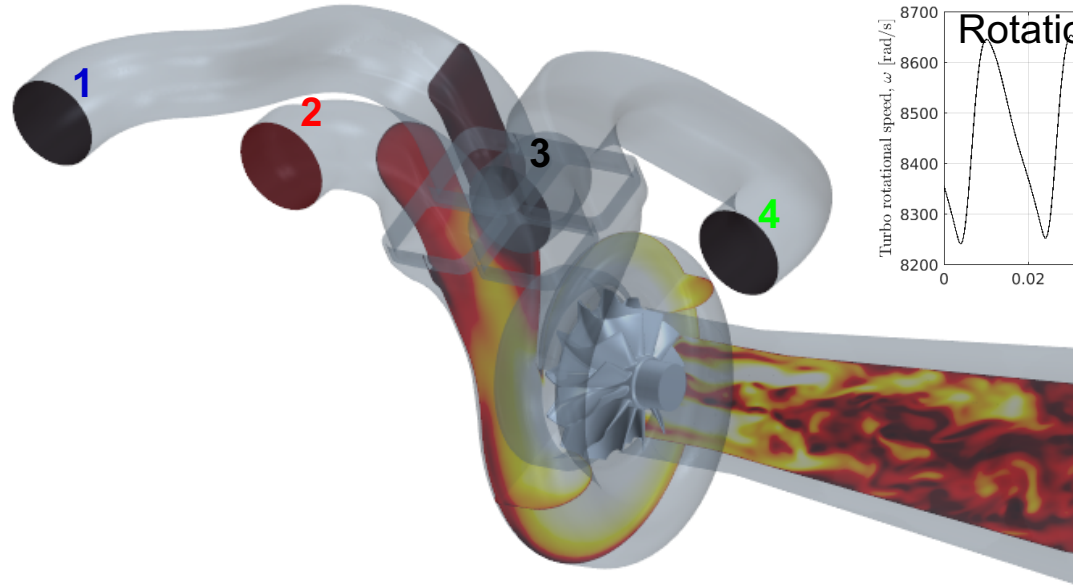
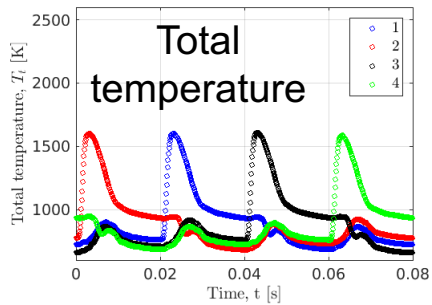
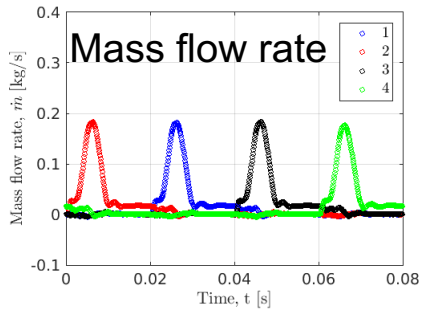
- ❑ Constructed from GT-Power time-varying output data.

Research questions	Highlights
<ol style="list-style-type: none"> <li>1. How heat transfer affects turbine performance?</li> <li>2. What are the heat transfer losses?</li> <li>3. How can we quantify the losses &amp; the effectiveness of resources utilization?</li> </ol>	<ul style="list-style-type: none"> <li><input type="checkbox"/> Exergy-based approach.</li> <li><input type="checkbox"/> CFD: detail quantification of losses.</li> <li><input type="checkbox"/> Turbine power reduction <math>\ll</math> flow exergy lost via heat transfer and irreversibilities.</li> <li><input type="checkbox"/> Upstream component is more sensitive to thermal loss.</li> <li><input type="checkbox"/> 1-D: quick assessment of exhaust energy utilization effectiveness.</li> <li><input type="checkbox"/> Need more effective way to harvest the available exhaust energy (than a single stage turbine).</li> </ul>
	<b>Future plan</b>
<ol style="list-style-type: none"> <li>4. What is the effects of upstream exhaust manifold (e.g. secondary flow) on heat transfer and turbine performance?</li> </ol>	<ul style="list-style-type: none"> <li><input type="checkbox"/> Comparison of exergy budget for engine-like pulsatile flow scenario (adiabatic vs. heat transfer)</li> <li><input type="checkbox"/> Flow field analysis to understand the associated physics.</li> <li><input type="checkbox"/> Effects of different exhaust valve strategies.</li> </ul>

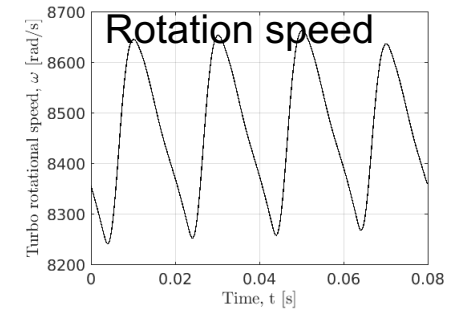
# Pulsatile flow computational setup

$n_{\text{engine}} = 1500 \text{ rpm}$

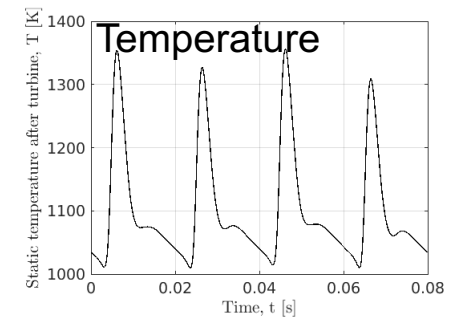
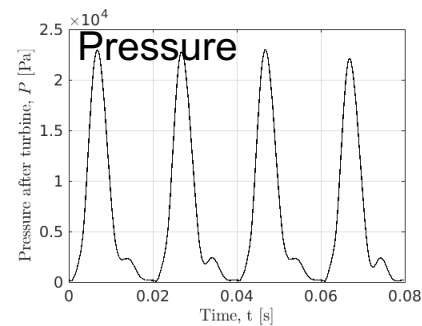
## Inlet boundaries



## Turbine wheel



## Outlet boundary





# Competence Center for Gas Exchange



”Charging for the future”

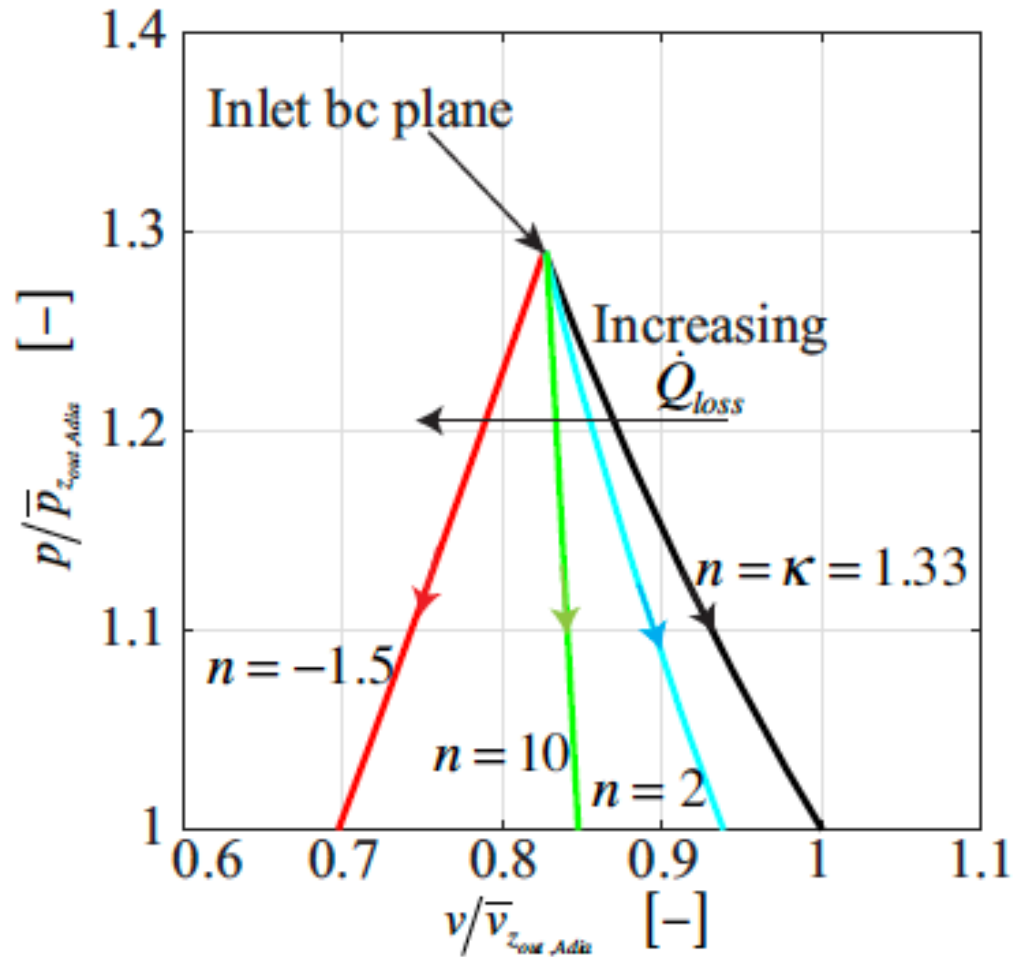


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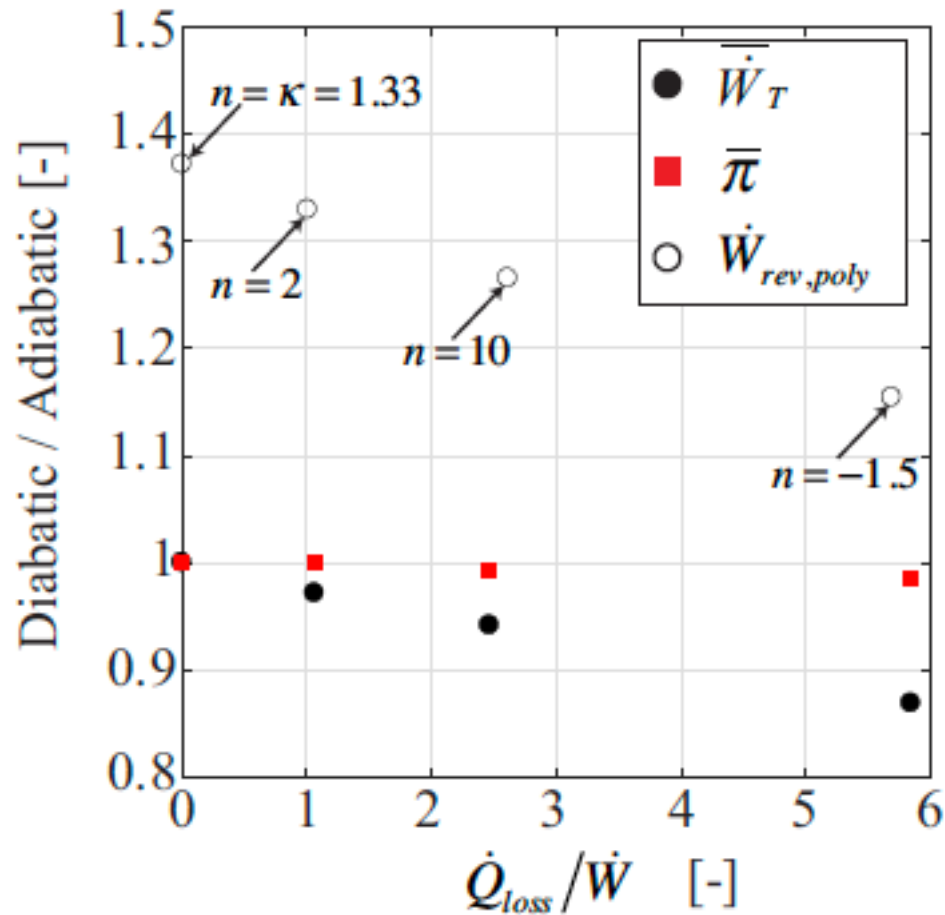


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# Polytropic gas expansion with heat loss

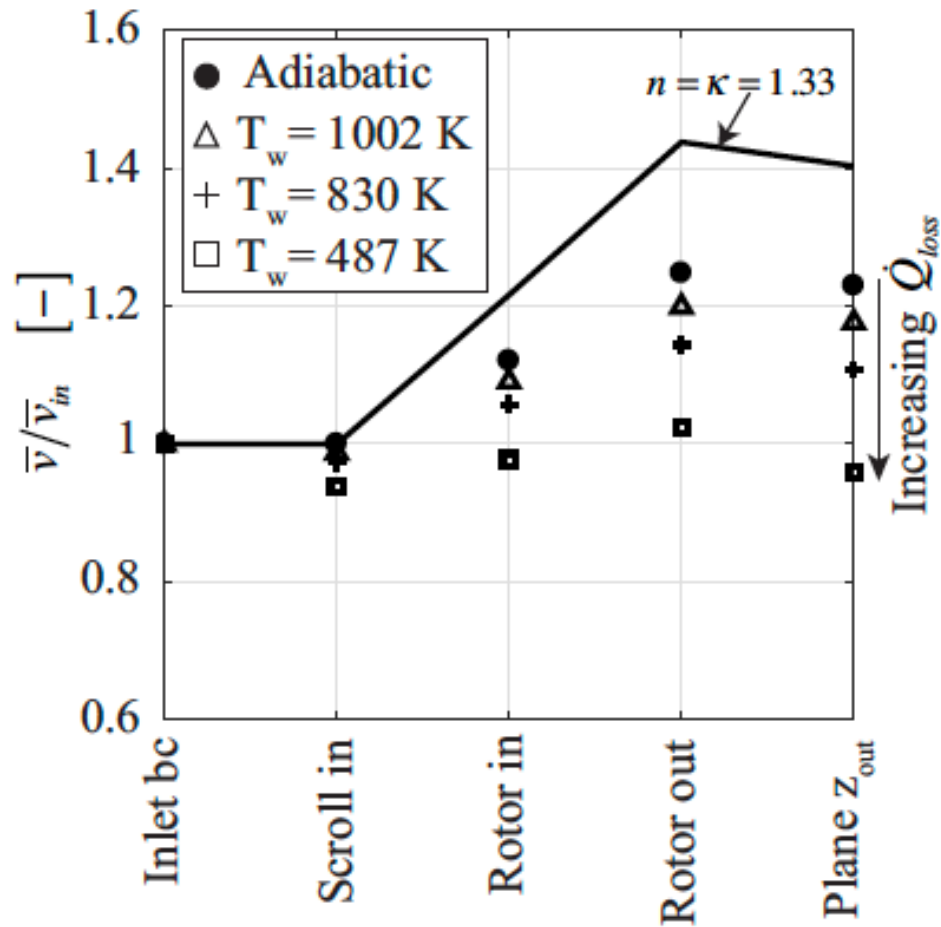


# Performance sensitivity to heat loss





# Gas specific volume



# Flow exergy equation

$$\begin{aligned}
 & \underbrace{\frac{D}{Dt} \left[ \iiint_{V(t)} (\rho e_f) dV \right]}_{\text{Total Exergy Change}} \\
 & \underbrace{\frac{d}{dt} \left[ \iiint_{V^*(t)} (\rho e_f) dV \right]}_A + \underbrace{\iint_{S^*(t)} [\rho e_f \{(\vec{u} - \vec{u}_b) \cdot \vec{n}\}] dS}_B = \\
 & \underbrace{- \iint_{S^*(t)} \left[ \vec{r} \times (\vec{f}_{pressure} + \vec{f}_{shear}) \cdot \vec{\Omega} \right] dS}_C \\
 & + \underbrace{\iint_{S^*(t)} \left[ \left(1 - \frac{T_o}{T_b}\right) (\vec{q} \cdot \vec{n}) \right] dS}_D \\
 & - \underbrace{T_o \dot{S}_{gen}}_E + \underbrace{\frac{d}{dt} \left[ \iiint_{V^*(t)} p dV \right]}_F,
 \end{aligned}$$

$$-B = (A - F) + C - D + E$$



# Entropy generation computation method

$$\dot{S}_{gen,thermal} = \iiint_{V^*(t)} \left[ \frac{(k_{mol} + k_{turb})}{T^2} (\nabla T)^2 \right] dV$$

$$\dot{S}_{gen,viscous} = \iiint_{V^*(t)} \left[ \frac{(\mu_{mol} + \mu_{turb})}{T} \Phi \right] dV$$

$$\Phi = \tau_{ij} \frac{\partial u_i}{\partial x_j} = 2S_{ij}S_{ij} - \frac{2}{3}S_{kk}S_{kk}$$

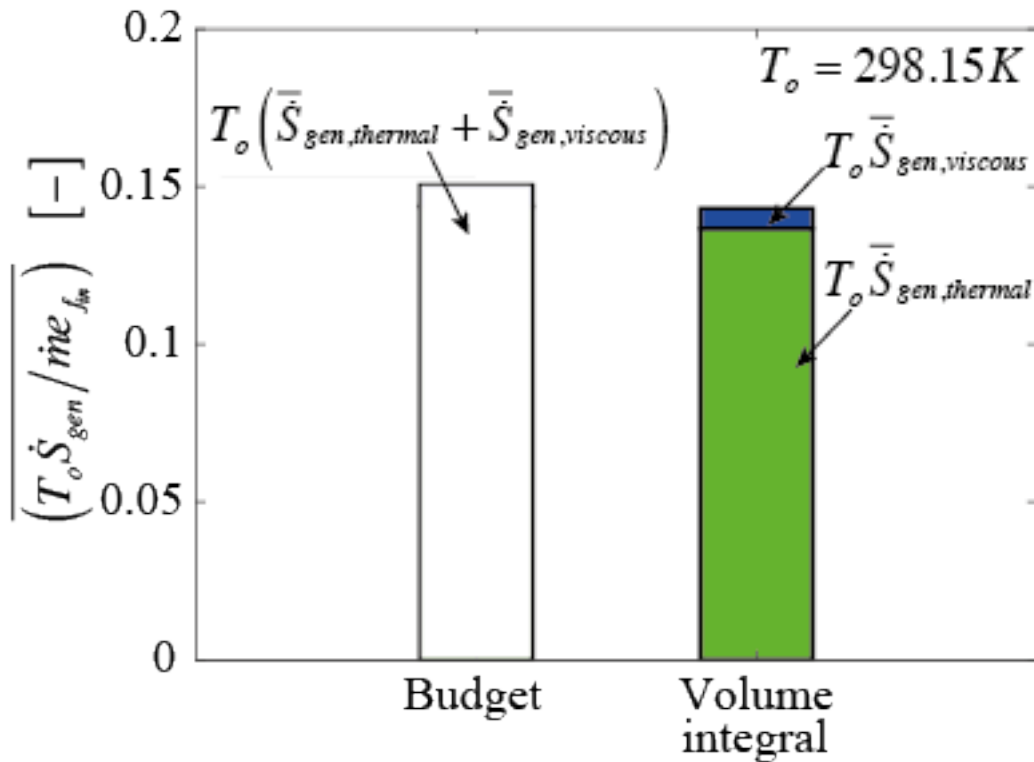
$$S_{ij} = \frac{1}{2} \left( \frac{\partial u_i}{\partial x_j} + \frac{\partial u_j}{\partial x_i} \right)$$

} Volume integral method

$$T_o \dot{S}_{gen} = E = -B - C + D - (A - F)$$

} Budget method

# Uncertainty of irreversibilities computation



$$\Sigma = \frac{\dot{S}_{gen,volume\ integral}}{\dot{S}_{gen,budget}}$$

$$\Sigma \approx 0.7$$